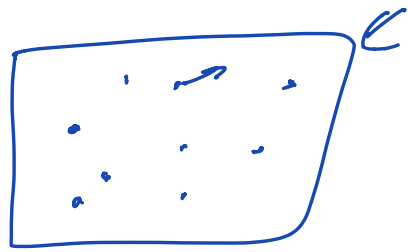


interactions
 lead to changes of system
 from Equil State 1
 \rightarrow Equil State 2

Equil. States of a system!

$\approx 10^{23}$ particles



positions of each
particle

velocity

10^{23}

T, P, n, V

← macroscopic
variables

↗ Equilibrium States

2 macroscopic properties
+ n

↖ to specify an
equil. state



H₂O

State Functions

T, P, V state fns,

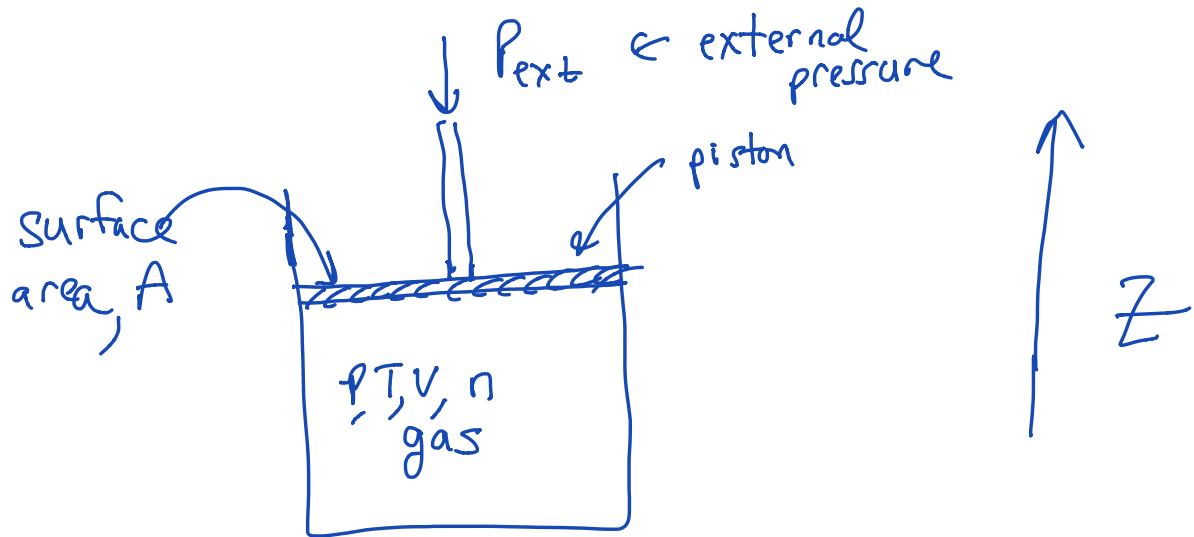
$$\begin{array}{l} \text{Equations} \\ \text{of State} \\ \text{E.O.S} \end{array} \left\{ \begin{array}{l} T(P, V) = \underline{\hspace{2cm}} \\ P(V, T) = \underline{\hspace{2cm}} \\ V(T, P) = \underline{\hspace{2cm}} \end{array} \right.$$

$$\oint dT = 0$$

Not a State Function

→ Work

piston assembly



Question: what work is done when volume of system changes from $V_1 \rightarrow V_2$?
not a state function!!!

$$dW = -\vec{F}_{\text{ext}} \cdot d\vec{z}$$

dot product

$$dW = -F_{\text{ext}} dz$$

$$\vec{F} \cdot \vec{r} = F_x r_x + F_y r_y + F_z r_z$$

$$F_x, F_y, F_z, r_x, r_y, r_z$$

$$\begin{aligned}
 dw &= -F_{\text{ext}} dz \\
 &= \underbrace{-p_{\text{ext}} A}_{\text{force}} dz \\
 &= -p_{\text{ext}} (Adz) \\
 &= -p_{\text{ext}} dV
 \end{aligned}$$

$$dw = -p_{\text{ext}} dV$$

~~***~~

sign conventions

+ dw ← work done on system

- dw ← work done by system