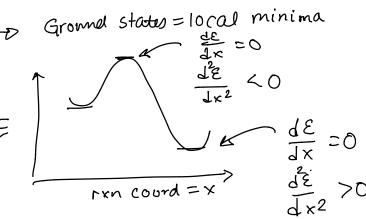
Lecture 13: Kinetics (continued)

Announcements:

- Midterm 1 is still not graded (in progress, though!)
- Problem Set 3 will be posted tomorrow. Due next Thurs.

Today:

- 1 correction from last time —
- Transition State Theory
- · Hammond Postulate
- Kinetic rate laws

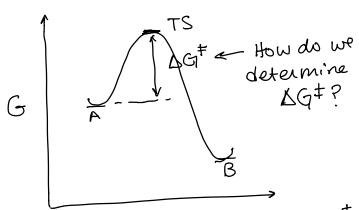


Transition State Theory

How do we get get information about TS's (& intermediates) that not observable?

Simplest Case:

$$A \longrightarrow B$$



Recall: rate =
$$-\frac{d[A]}{dt} = \frac{d[B]}{dt} = \frac{k[A]}{k} = \frac{k[TS]}{k}$$
 $k^{\dagger} \approx \frac{k_B}{h} = \frac{2.083 \times 10^{10} \text{ s}^{-1} \text{ k}^{-1}}{h}$

The planck's constant rate for fastest possible reaction (no barrier) oxelvin

 $K = \text{"kappa"} \approx \text{inefficiency in goily over TS. } = 1$

$$k^{\dagger} \approx \frac{k_B}{h} T K$$

$$\frac{k_B}{h} = 2.083 \times 10^{10} \text{s}^{-1} \text{k}^{-1}$$

@rt (298K)
$$-k^{\ddagger} = 6 \times 10^{12} \text{ s}^{-1} \approx 10^{13} \text{ s}^{-1}$$

Trate of molecular vibration.

"Equilibrium" between A & TS.

$$[TS] = H^{\dagger}[A]$$

$$[TS] = e^{-\Delta G^{\dagger}/RT}[A]$$

$$\uparrow_{TS} = \frac{k[A]}{k^{\dagger}}$$

$$k = \frac{k_B}{h} T \hat{h} e^{-\Delta g^{\dagger}} R T$$

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$$Reasure rate \Rightarrow Learn \Delta g^{\dagger}.$$

$$Resure \Delta g^{\dagger} = \Delta H^{\dagger} - T \Delta s^{\dagger}$$

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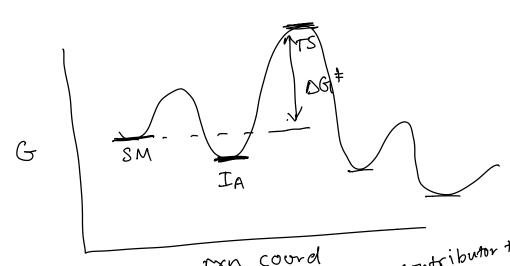
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warning: For multistep reactions, you are measuring composites of ΔH = ε ΔS±.



Enthalpy Control: ΔH^{\pm} is major $\Lambda \Delta G^{\pm}$.

Entropy Control: $\pm \Lambda A^{\pm}$

Entropy Control: TDS+ is major contributor to AG!

to AG. Lo Changes w) Temperature.

Interpretation of AS#

If ΔS^{\ddagger} $\angle \emptyset$ — \overline{r} TS is more ordered than ground State.

ex: SN2 NC-CH3 ID

NC - IH H

highly ordered TS. $\Delta S^{\ddagger} = -30 \, \text{eu}$

Nu: DS[‡] ≈ -8 eu

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-> Entropy not as regative b/c epoxide

opening (more degrees of freedom),

If $\Delta S^{\ddagger} > 0$: TS more disordered than GS

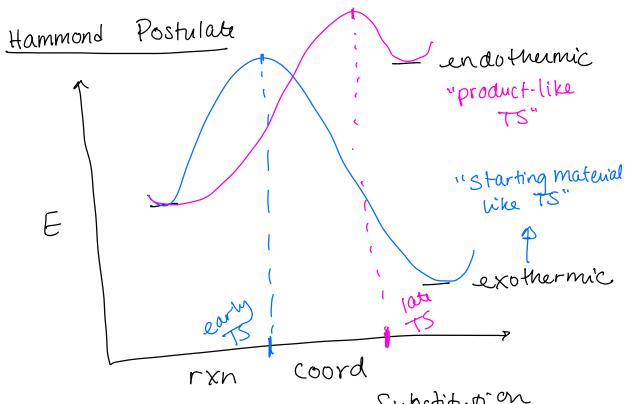
ex: R = 0 or $\Delta S^{\ddagger} = + 10e^{-1}$

in general:

-30 eu ≤ △S[±] ≤ +10 eu

(exceptions for trimolecular tS)

Arrhenius Equation



ex: Electrophilie Aromatic Substitution